

APPENDIX D

Informing decisions on investment to reduce health inequalities (III) in Scotland: technical guide

December 2014

Informing investment to reduce health inequalities toolkit and longer-term follow-up: description of approach

Aims

The purpose of the 'Informing investment to reduce health inequalities' toolkit is to allow policymakers to estimate the effect of particular policies on mortality and hospitalisation over time according to inequalities. The policies can relate to interventions across the determinants of health (including 'upstream', 'downstream', individually-focused and population-wide interventions).

The toolkit allows users to create policy scenarios by assigning:

- the total number of interventions in a population (e.g. 10,000 alcohol brief interventions)
- the distribution of interventions by Scottish Index of Multiple Deprivation (SIMD) quintile (e.g. increased interventions delivered to people living in more deprived areas)
- the timing of interventions being delivered (e.g. during years 1, 2, 3, 4 of follow-up). This is currently set to year 1 for all tools.

The toolkit then produces estimates of the effect of a policy on mortality and hospitalisations at 2, 10 and 20 years after baseline:

- for the entire population
- for sub-groups defined on the basis of age, sex and SIMD quintile

This report explains the epidemiological basis, implementation, and underlying assumptions which apply to all the interventions included in the toolkit. Additional details for specific interventions are given in the main report.

Estimating mortality

For clarity, we use smoking cessation as a practical example throughout this technical guide. We also use the term 'treated' for people who were the subject of an intervention, even where that intervention (as in the case of altering income through changes in taxation and benefits) is applied to a whole society rather than an individual.

In order to estimate the impact on mortality of a given policy compared to the counterfactual scenario of not implementing that policy, we need to calculate the total number of deaths over the period of follow-up (e.g. 2 years, 5 years 10 years) under both the policy and the counterfactual. The total number of deaths will include deaths in people who are unexposed to a risk factor (e.g. non-smokers), people who

are exposed but untreated (hereafter untreated, e.g. smokers not given smoking cessation advice) and people who are both exposed and treated (hereafter treated, e.g. smokers who are given smoking cessation advice).

The total number of deaths over follow-up time in a closed cohort is the cumulative incidence of mortality (e.g. if there are 50 deaths over 5 years, then 50 is the 5-year cumulative incidence). When cumulative incidence is divided by the number of people alive at baseline then this proportion is termed the cumulative incidence rate.

Over very short time periods, the cumulative incidence can be reasonably approximated by the mortality rate (λ) times the follow-up time (t). Over longer time periods, however, the following equation is needed to calculate the cumulative incidence rate from the mortality rate (Rothman et al. 2008, Page 43):

$$CI = 1 - e^{-\lambda t} \quad \text{Equation [1]}$$

where CI is the cumulative incidence rate, e is a mathematical constant (approximately 2.72), λ is the instantaneous (or current) mortality rate, and t is the follow-up time. $\lambda \times t$ is the area under the curve of mortality rate over time, where mortality rate is constant (or is assumed to be constant).

Figure 1: Constant mortality rate

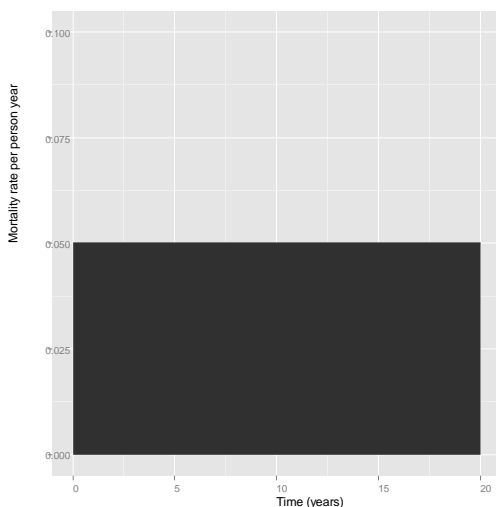
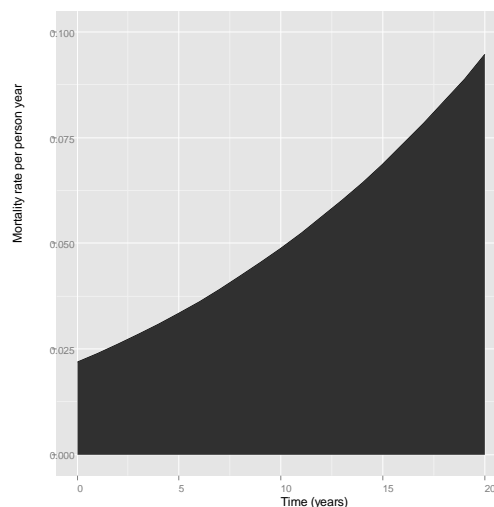


Figure 2: Variable mortality rate



If, instead, the mortality rate varies across time as in Figure 2 (which is likely given that mortality rates generally increase with age) then the area under the curve is calculated via integration rather than by multiplication:

$$CI = 1 - e^{-\int \lambda dt} \quad \text{Equation [2]}$$

The implication of equation 2 is that if we can describe the mortality rate of a group within the population over time using a mathematical function, we can estimate the

total number of deaths (cumulative incidence x number in group at baseline) for that group by integrating the function, and transforming the integral as in Equation [2].

As such, for any follow-up time period, we can sum the cumulative incidence for mortality for people who are unexposed, treated and untreated for both the policy and the counterfactual scenarios as:

$$N_{total} \times CI_{total} = N_{unexposed} \times CI_{unexposed} + N_{untreated} \times CI_{untreated} + N_{treated} \times CI_{treated} \quad \text{Equation [3]}$$

The cumulative incidence rates for the groups unexposed, untreated and treated are the same under the policy and counterfactual. In each case, N refers to the number of people alive at baseline. The number in the treated and untreated groups will differ under the policy and counterfactual scenarios. Hence the difference in the cumulative incidence can be calculated as:

$$N_{total} \times CI_{total}^{difference} = N_{total} \times (CI_{total}^{counterfactual} - CI_{total}^{policy}) \quad \text{Equation [4]}$$

The cumulative incidence rate can also be used to calculate the number of years of life lost.

$$YLL = N \times \sum_t ((CI_t - CI_{t-1}) \times (100 - age_t)) \quad \text{Equation [5]}$$

Where t is the follow-up time in years, YLL is the years of life lost, CI is the cumulative incidence at time t and age is age at the follow-up time t. YLL is essentially a sum of the total number of deaths weighted by the age at death, with deaths at younger ages having a higher weight.

Summary statistics for cumulative and YLL

These statistics, the CI and the YLL for the policy and the counterfactual scenarios, can be calculated for specific age, sex and SIMD quintile strata within the population. In each population there are approximately 160 strata (16 age bands, 2 sexes and 5 SIMD quintiles). The difference in CI and YLL for the policy and counterfactual can be summed for the whole population, or for sub-groups within the population formed by aggregating across age, sex and/or SIMD strata. By aggregating into sub-groups the impact of a policy can be compared across different sections of the population; for example, the reduction in cumulative incidence among the least and most deprived quintiles can be compared.

Estimating mortality rates

A crucial first step to calculating the cumulative incidence for each group is to obtain a mathematical function which describes mortality rate across age, sex, SIMD and calendar time for unexposed, untreated and treated individuals. We now describe how we did so.

Total mortality rate

The mortality rate in the unexposed, untreated and treated are all derived from the projected mortality rate for the total Scottish population. We used estimated mortality rates for years 2011 to 2035 (from the 2010 based sub-national population projections) by age, sex and calendar year from National Records of Scotland (NRS). Using regression modelling we obtained a formula which describes the change in mortality over time according to age, sex and calendar time. Coefficients for age, sex and calendar time were obtained (intercept=18.188, age=0.082, sex(male)=1.077, year=-0.014, age*sex(male)=0.0095). This formula fits the projected mortality data well (appendix 1).

Unfortunately, NRS do not produce separate estimates for each SIMD quintile. Therefore, using data from 2000 to 2010 we examined the association between SIMD and mortality rate. We found that the relative (multiplicative) effect of SIMD was consistent across age, sex and calendar time (appendix 1). Consequently we assumed, for the counterfactual case where no new policy is instituted, that the same association will hold over 20 years of follow-up. As such, using historical data we modelled total mortality according to age, sex, calendar time, and SIMD and obtained coefficients for SIMD (SIMD1=0.577, SIMD2=0.199, SIMD3=0, SIMD4=-0.229, SIMD5=-0.547). We then combined the age, sex and calendar time coefficients for the projected mortality rates from NRS with SIMD coefficients from historical data to obtain a formula describing projected total mortality according to age, sex, calendar time and SIMD. SIMD 3 was the reference value.

This resulting function describes total mortality across all of the interventions.

$$MR_t^{total} = e^{(0.1+0.1 \times age+0.1 \times sex+0.1 \times (2010+t)+0.1 \times SIMD_1+0.1 \times SIMD_2+0.1 \times SIMD_4+0.1 \times SIMD_5)} \quad \text{Equation [6]}$$

Mortality rate in untreated (exposed)

Since the total mortality rate is the sum of the mortality rate in people who are exposed and unexposed weighted by the proportion exposed and unexposed, and since the mortality rate in the exposed divided by the mortality rate in the unexposed is the rate ratio for the exposure, the following equation relates mortality rate in people exposed to a given risk factor (e.g. smoking) to total mortality:

$$MR_t^{untreated} = \frac{MR_t^{total} \times RR^{exposure}}{Prevalence^{exposure} \times RR^{exposure} + 1 - Prevalence^{exposure}} \quad \text{Equation [7]}$$

where MR is the mortality rate in the untreated (but exposed) at time t, $RR^{exposure}$ is the rate ratio for the exposure and $P^{exposure}$ is the prevalence of the exposure in the population. Since the mortality in exposed people depends on the prevalence of the exposure and the rate ratio for the exposure, the mortality in the unexposed and exposed (untreated) is specific to each toolkit. The rate ratio for each exposure was obtained from the published literature. We assumed that the rate ratio for the exposure was identical for all age, sex and SIMD strata for which the cumulative

incidence was estimated. (The income model provides special case in both of these respects; due to limitations in the available literature routine Scottish data were used to calculate rate ratios, and analysis was done for each SIMD quintile.)

Mortality rate in unexposed

The mortality rate in the unexposed group is the mortality rate in the untreated (but exposed) group divided by the rate ratio for the exposure.

$$MR^{\text{unexposed}} = MR^{\text{untreated}} / RR^{\text{exposure}} \quad \text{Equation [8]}$$

Mortality rate in treated group

The mortality rate in the treated group is the product of the mortality rate in the untreated group times the rate ratio for the intervention. Unlike the rate ratio for the exposure, the rate ratio for the intervention was allowed to vary across time. For the income toolkit, different rate ratios were applied to each SIMD quintile to reflect the fact that we wished to model increasing income in some quintiles, and decreasing income for other quintiles. For all other toolkits the rate ratio for the intervention (i.e. the efficacy of the intervention) was assumed to be constant across age, sex and SIMD quintile.

$$MR_t^{\text{treated}} = MR_t^{\text{untreated}} \times RR_t^{\text{intervention}} \quad \text{Equation [9]}$$

With the exception of the income model, the rate ratio for the intervention was obtained from the published literature. For the income model, the rate ratio was estimated using log-transformed standardised mortality and hospitalisation rates for Scotland (data obtained from Information Services Division (ISD) of NHS National Services Scotland, www.isdscotland.org/) on log transformed mean weekly equivalised household income after housing costs (data from the Institute of Fiscal Studies/Family Resources Survey) for each SIMD income domain quintile, using these coefficients to predict the effect of changing the income distribution. Where it was available, we used published evidence to obtain estimates of the change in efficacy over follow-up time. Often, however, it was necessary to assume the pattern of change in efficacy over time.

Figure 3 provides a hypothetical example of a rate ratio with high efficacy at time zero (0.65), whose efficacy diminished towards 1 over twenty years of follow-up. Figure 4 shows how the instantaneous mortality rate in the treated group would be modified (over time) by the action of this intervention. We chose functions which adequately described the change in rate ratio over time according to the published evidence and our assumptions of the likely change in efficacy over time (refer to chapters on specific interventions). As such, the form for the mathematical function (in this case sigmoid) was determined by the available evidence and epidemiological

assumptions. The method used to obtain the coefficients for the functions are given in appendix 2.

Figure 3: Rate ratio over time

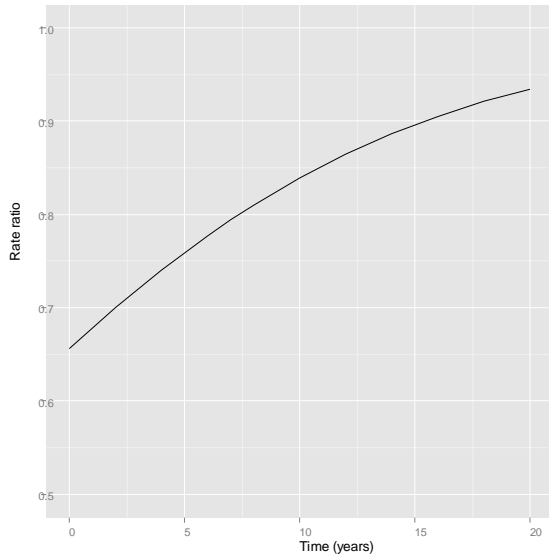
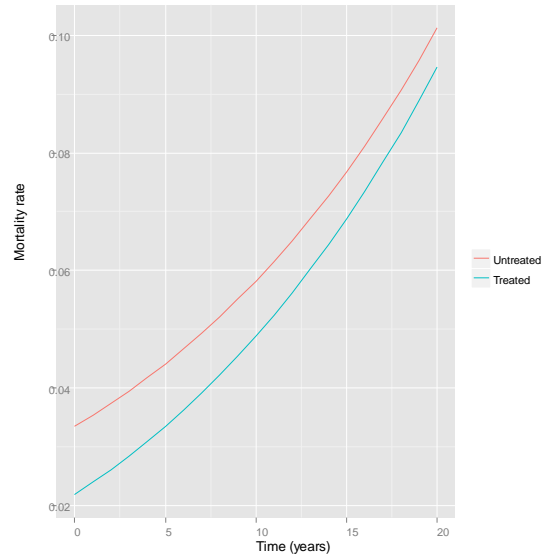


Figure 4: Mortality rate



Assumptions

In summary, therefore, we calculated total mortality and total mortality weighted by age (termed years of life lost (YLL)) using the following assumptions:

1. After a policy is applied the population is fixed, although mortality rates do increase with ageing. The toolkit does not take into account inward movement into the population from births, or the effects of immigration. This means that the toolkit can only be used to estimate the absolute impact on the health of people in whom the policy is implemented. Alternatively, if only the difference in mortality and hospitalisation with the policy scenario compared to the counterfactual scenario is needed, the weaker assumption that the policy will not affect birth rates or immigration is sufficient.
2. That projected mortality rates by age, sex, SIMD and calendar year will be accurate over the next 20 years.
3. That the mortality rates can be approximated using an exponential formula.
4. That SIMD will have the same association with mortality over the next 20 years as it has over the past 10 years (under the counterfactual scenario of no policy change).

5. That the rate ratio for the exposure is constant across age, sex, SIMD quintile and calendar time.
6. That the rate ratio for the intervention is constant across age, sex and (except for the intervention on income) SIMD.
7. Assumptions used to estimate the proportion of the population exposed to each risk factor are provided within the specific documentation for each intervention.

Assumption 3 has been tested graphically (appendix 1) and it can be seen that the function fits the data well. If the function did not fit the data well a more complex function with additional parameters could have been used instead.

Hospitalisation

Unlike death, hospitalisation can recur. Therefore, the total count of hospitalisation can be calculated as the hospitalisation rate times the person time. Person time is the time people are at risk of an event, and is the sum across persons of the at risk time for each individual. For our analysis, the at-risk time is the time from the start of follow-up until death. Deaths in the policy and counterfactual scenario will differ; hence the total person time will differ between the policy and counterfactual scenario. The following equation calculates the person time during each year of follow-up and multiplies that by the current hospitalisation rate to obtain the hospitalisation count:

$$\text{Hospitalisation count} = N_0 \times \sum_t ((1 - CI_t) \times HR_t) \quad \text{Equation [10]}$$

where N_0 is the number of people within an age, sex and SIMD stratum at baseline, CI_t is the cumulative incidence at time t and HR_t is the hospitalisation rate at time t . $1 - CI_t$ times N_0 is the person time at time (t) and the sum of $1 - CI_t$ times N_0 is the total person time.

As for mortality rate, the hospitalisation rate in the unexposed, untreated and treated was calculated from the total hospitalisation rate, the prevalence of the exposure, the rate ratio for the exposure and the rate ratio for the intervention.

Unlike for mortality we did not have projections for hospitalisation rates and used historical SMR01 rates held within ISD for all estimates. Whereas mortality rates showed a clear downward trend over time, hospitalisation rates have showed only a very small change over the past 10 years, conditional on age, sex and SIMD quintile. Although the model assumes that this modest decline in hospitalisation will continue, the degree of uncertainty around this assumption is greater than for mortality.

As for cumulative incidence and years of life lost for mortality, hospitalisation under the policy and counterfactual scenario can be summed for the population, or can be

summed across sub-groups within the population defined on the basis of age, sex and SIMD.

In addition to the assumptions for mortality, this approach for calculating hospitalisations assumes that hospitalisation rates are distributed homogeneously across person time (conditional on age, sex, SIMD quintile and calendar time).

Implementation

The approach to calculate mortality and hospitalisation described above was implemented as follows:

1. In R, an open source statistical package:
 - a. parametric survival models (exponential distribution) were used to obtain a formula to describe total mortality/hospitalisations according to age, sex, SIMD quintile and calendar time (for mortality and for hospitalisation)
 - b. non-linear models were used to obtain coefficients for a formula which describes change in the rate ratio for the intervention over time (for mortality and hospitalisation) (appendix 2)
 - c. the mortality rate in the untreated (exposed) was calculated using Equation [7]
2. Using published data from the relevant data sources (e.g. Scottish Health Survey) and data from NRS we tabulated the number of people within each age, sex and SIMD stratum and the proportion of those exposed to each risk factor (e.g. smoking) in Excel (for the income model, we assumed 100% of the population was affected by the intervention).
3. Using built-in Excel functions we designed the spreadsheets to allow users of the toolkit to choose how many people should be 'treated' under a given policy during each year of follow-up, across how many years the number of treatment should be applied (currently set to all occurring in year 1 for all tools), and how these treatments should be distributed across SIMD quintiles.
4. In Visual Basic for Applications (VBA, Office's built-in programming language which is designed to allow users to add functionality to Office programs) using the coefficients obtained from 1, we wrote functions which:
 - a. describe change in the rate ratio for the intervention over follow-up time
 - b. describe the change in mortality rate across age, sex, SIMD quintile and follow-up time for people who are unexposed, untreated and (also using (a)) treated
 - c. calculate the area under the curve for b

- d. calculate the cumulative incidence from c
 - e. calculate the years of life lost from d
 - f. describe the rate ratio for the intervention over time for hospitalisation
 - g. describe the change in hospitalisation rate across age, sex, SIMD quintile and follow-up time for people who are unexposed, untreated and (also using (f)) treated
 - h. calculate the hospitalisation count from d and g.
5. These functions (4) were used within excel to calculate the cumulative incidence, years of life lost and hospitalisation count for each age, sex and SIMD stratum, for each follow-up time of interest, under both the policy and the counterfactual scenarios.
 6. The stratum-specific estimates from (5) were aggregated to calculate the impact of the policy on whole populations and sub-groups.
 7. The functionality in 4 was replicated in R.

Detail on the specifics can be found in the documentation embedded in the VBA and R code itself (appendices 1–3).

References

Rothman, K.J., Greenland, S. & Lash, T.L., 2008. *Modern Epidemiology* 3rd ed., Lippincott Williams & Wilkins, US.

Appendix 1 – Modelling mortality and hospitalisation rates

We obtained functions which described the mortality data using the Survival package in R. The data were modelled using the exponential and Weibull distributions. As we were not seeking to make inferences or extrapolate beyond the data the model checking was largely done visually by checking the fitted values against the rates. The standard errors and P-values from these models were used neither in the model selection nor in the final toolkit.

The annotated code used to run the models are provided below.

```
#### R code to create formulas describing mortality rates and hospitalisation rates. These
formulas are used in the R code
# "Calculates_CI_YLL_and_hospitalisation_in_R.R" and in the VBA toolkit

##### This code uses parametric survival models (ie not Cox) to produce functions to
describe mortality and hospitalisation
# according to year, age, gender and SIMD. An interaction term for age and gender improved the
fit a lot for hospitalisation
# and a little for mortality. No other interactions improved the fit
# Exponential distribution fits as well as Weibull so have chosen to use exponential as it is
simpler
# Over fitting is not an issue as we are not seeking to extrapolate from these data to any
other data
# only to represent the rates in a function for conciseness

# This R code, when run, will produce
# 1. plot of the rates as points with the fitted model as a line
# 2. an Rdata file with the coefficients
# 3. a CSV file with the coefficients

# The required inputs are
# 1. A .csv file with mortality rates in the correct format
# 2. A .csv file with the hospitalisation rates in the correct format

# packages
# install.packages (c("survival", "ggplot2")) # If not already installed need to uncomment
this line
library (survival)
library (ggplot2)
library (reshape2)

# Set working directory - this should be where .csv files are stored and where R will save
the output
# setwd("\\\\Stats\\phip\\Projects\\Health Inequality Tool\\HITS
III\\LongTermTrends\\Final_Model\\")

# Read files
mort <- read.csv (file = "MortalityQuintiles.csv", as.is = TRUE)
mort.proj <- read.csv (file = "Mort_proj_1035.csv", as.is = TRUE)
names(mort.proj) <- names(mort)
hosp <- read.csv ("HospAdmQuintiles0112.csv", as.is = TRUE)
#hosp.proj <- read.csv (" " , as.is = TRUE)

# Transform data, written as function as the same code is applied to the hospitalisation and
mortality data
MortHospClean <- function (mydata, type, simd.present = TRUE) {
  names(mydata) <- c("year", "gender", "simd", "agegroup", "rate")
  # create age as a numeric variable and drop agegroup
  mydata$age <- as.numeric (substr(mydata$agegroup,1,2) ) + 2.5
  mydata$agegroup <- NULL
  # change SIMD to factor, not much change in fit, but easier to set 3 to reference
  mydata$simd <- factor (mydata$simd)
  if (simd.present == TRUE) mydata$simd <- relevel (mydata$simd, 3)
  if (simd.present == FALSE) mydata$simd <- NULL
  # select age range desired
  mydata <- subset (mydata, age >=15 & age<80)
  # make event variable for model to run
  mydata$event <- 1
}
```

```

# convert rate into per person year, not per 1000 person years for mort, and not per 1000
person years for hospitalisation
  if (type == "mort") mydata$rate <- mydata$rate /1000
  if (type == "hosp") mydata$rate <- mydata$rate /1000
mydata
}

# apply function to transform each dataset, additional argument for projections
mort <- MortHospClean (mort, type = "mort")
mort.proj <- MortHospClean (mort.proj, type = "mort", simd.present = FALSE)
hosp <- MortHospClean (hosp, type = "hosp")
#hosp.proj <- MortHospClean (hosp.proj, type = "hosp", simd.present = FALSE)

# Run regression model based on event rates for mortality and hospitalisation
# Exponential distribution
model.surv.e <- survreg (Surv(time = rate, event) ~ age + simd + gender + year +
gender:age, dist = "exponential",data = mort)
model.surv.e.hosp <- survreg (Surv(time = rate, event) ~ age + simd + gender + year +
gender:age, dist = "exponential",data = hosp)
model.surv.e.proj <- survreg (Surv(time = rate, event) ~ age + gender + year +
gender:age, dist = "exponential",data = mort.proj)
#model.surv.e.proj.hosp <- survreg (Surv(time = rate, event) ~ age + gender + year +
gender:age, dist = "exponential",data = hosp.proj)
# Weibull distribution
model.surv.w <- update (model.surv.e, dist = "weibull")
model.surv.w.hosp <- update (model.surv.e.hosp, dist = "weibull")
model.surv.w.proj <- update (model.surv.e.proj, dist = "weibull")
#model.surv.w.proj.hosp <- update (model.surv.e.proj.hosp, dist = "weibull")

# Show model results
summary(model.surv.e)
summary(model.surv.w)
summary(model.surv.e.proj)
summary(model.surv.w.proj)

summary(model.surv.e.hosp)
summary(model.surv.w.hosp)
# summary(model.surv.e.proj.hosp)
# summary(model.surv.w.proj.hosp)

# Produce predicted rates from the model for the plots used to examine the fit
mort$weib <- predict (model.surv.w)
mort$expo <- predict (model.surv.e)
mort.proj$weib <- predict (model.surv.w.proj)
mort.proj$expo <- predict (model.surv.e.proj)
hosp$weib <- predict (model.surv.w.hosp)
hosp$expo <- predict (model.surv.e.hosp)

# Create plots of rates and predicted rates for men and women, for mortality and
hospitalisation
# Red lines are for an exponential distribution, blue for Weibull
plot.surv.men <- ggplot (subset (mort, gender == "Male"), aes (x = age, y = rate)) +
geom_point() +
  facet_grid (simd~year) +
  geom_line (aes(x = age, y = expo), colour = "red") +
  geom_line (aes(x = age, y = weib), colour = "blue") +
  ggtitle ("Men, mortality")
plot.surv.women <- ggplot (subset (mort, gender == "Female"), aes (x = age, y = rate)) +
geom_point() +
  facet_grid (simd~year) +
  geom_line (aes(x = age, y = expo), colour = "red") +
  geom_line (aes(x = age, y = weib), colour = "blue")+
  ggtitle ("Women, mortality")
plot.surv.men.proj <- ggplot (subset (mort.proj, gender == "Male"), aes (x = age, y = rate)) +
geom_point() +
  facet_wrap (~year) +
  geom_line (aes(x = age, y = expo), colour = "red") +
  geom_line (aes(x = age, y = weib), colour = "blue") +
  ggtitle ("Men, mortality, projected")
plot.surv.women.proj <- ggplot (subset (mort.proj, gender == "Female"), aes (x = age, y =
rate)) + geom_point() +
  facet_wrap (~year) +
  geom_line (aes(x = age, y = expo), colour = "red") +
  geom_line (aes(x = age, y = weib), colour = "blue")+
  ggtitle ("Women, mortality, projected")

```

```

plot.surv.men.hosp <- ggplot (subset (hosp, gender == "Male"), aes (x = age, y = rate)) +
geom_point() +
  facet_grid (simd~year) +
  geom_line (aes(x = age, y = expo), colour = "red") +
  geom_line (aes(x = age, y = weib), colour = "blue") +
  ggtitle ("Men, hospitalisation")
plot.surv.women.hosp <- ggplot (subset (hosp, gender == "Female"), aes (x = age, y = rate)) +
geom_point() +
  facet_grid (simd~year) +
  geom_line (aes(x = age, y = expo), colour = "red") +
  geom_line (aes(x = age, y = weib), colour = "blue")+
  ggtitle ("Women, hospitalisation")

# Save plots as a PDF with today's date
mydate <- format (Sys.Date(), "%Y%m%d")
filename <- paste ("Fit using data from Jan 2014, hosp and mort (historical and projected),
interaction age_gender, run on ", mydate, ".pdf", sep = "")
pdf (filename)
plot.surv.men + theme_gray (base_size =8)
plot.surv.women + theme_gray (base_size =8)
plot.surv.men.proj + theme_gray (base_size =8)
plot.surv.women.proj + theme_gray (base_size =8)
plot.surv.men.hosp + theme_gray (base_size =8)
plot.surv.women.hosp + theme_gray (base_size =8)
dev.off()

# Create coefficients table and save as CSV file and save as both sets of coefficients as
objects in .Rdata
mortality.coefficients <- coef (model.surv.e)
hospitalisation.coefficients <- coef(model.surv.e.hosp)
mortality.coefficients.projected <- c(coef(model.surv.e.proj), simd1 = NA, simd2 = NA, simd4 =
NA, simd5 = NA)
#hospitalisation.coefficients.projected <- c(coef(model.surv.e.proj.hosp), simd1 = NA, simd2 =
NA, simd4 = NA, simd5 = NA)

mortality.coefficients.projected <- mortality.coefficients.projected [
names(mortality.coefficients)]
#hospitalisation.coefficients.projected <- hospitalisation.coefficients.projected [
names(mortality.coefficients)]

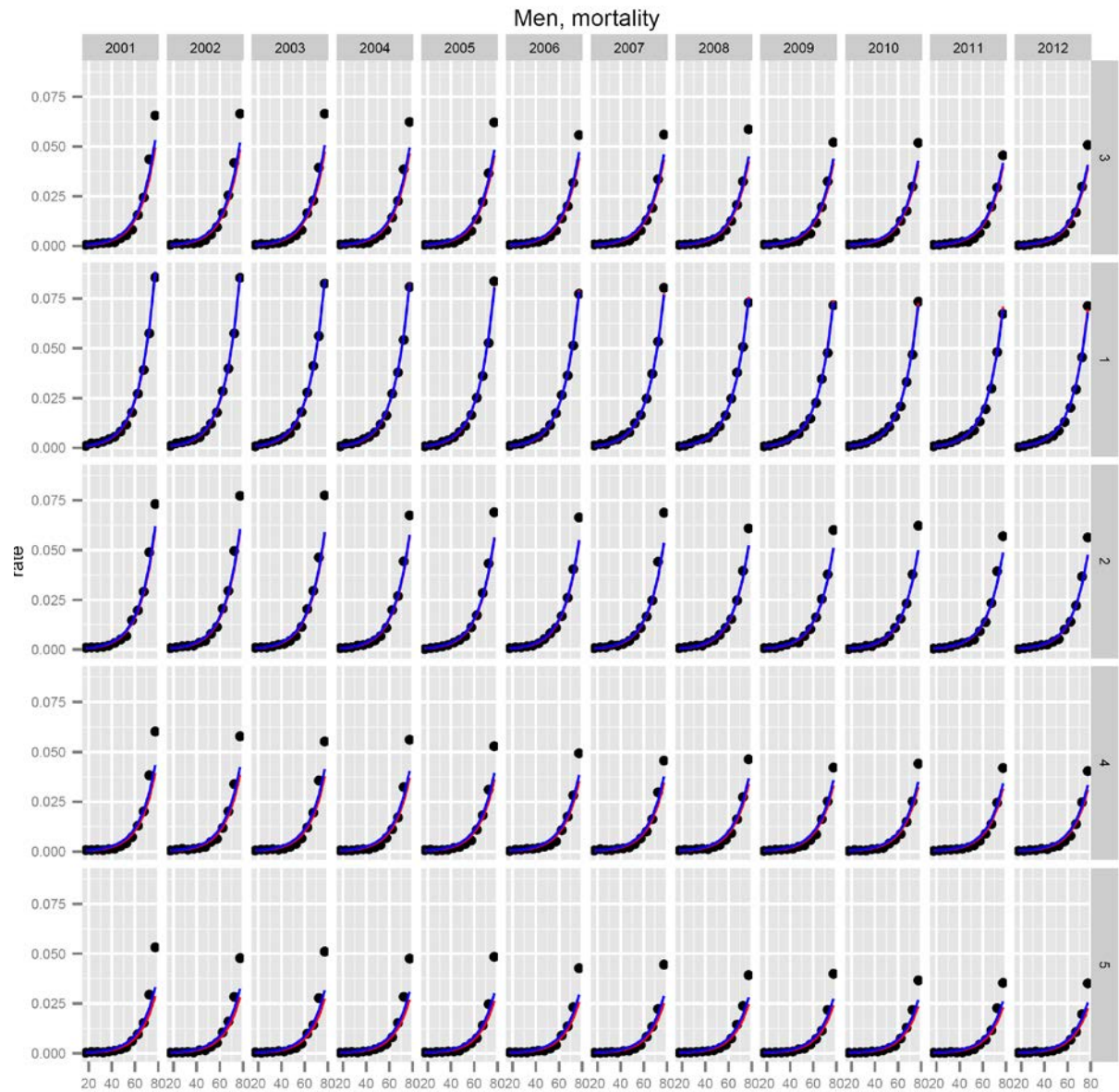
# coefficients for age, sex and age:sex interaction very similar for projected and historical
data
# not too dissimilar for year, quite big difference in intercepts

all.coefficients <- rbind (mortality.coefficients, mortality.coefficients.projected,
hospitalisation.coefficients)#, hospitalisation.coefficients.projected)
filename <- paste ("Coefficients using data from Jan 2014, hosp and mort, interaction
age_gender, run on ", mydate, ".csv", sep = "")
write.csv (all.coefficients, file = filename)
filename <- paste ("Coefficients using data from Jan 2014, hosp and mort (historical and
projected), interaction age_gender, run on ", mydate, ".Rdata", sep = "")
save (mortality.coefficients, mortality.coefficients.projected, hospitalisation.coefficients,
file = filename)

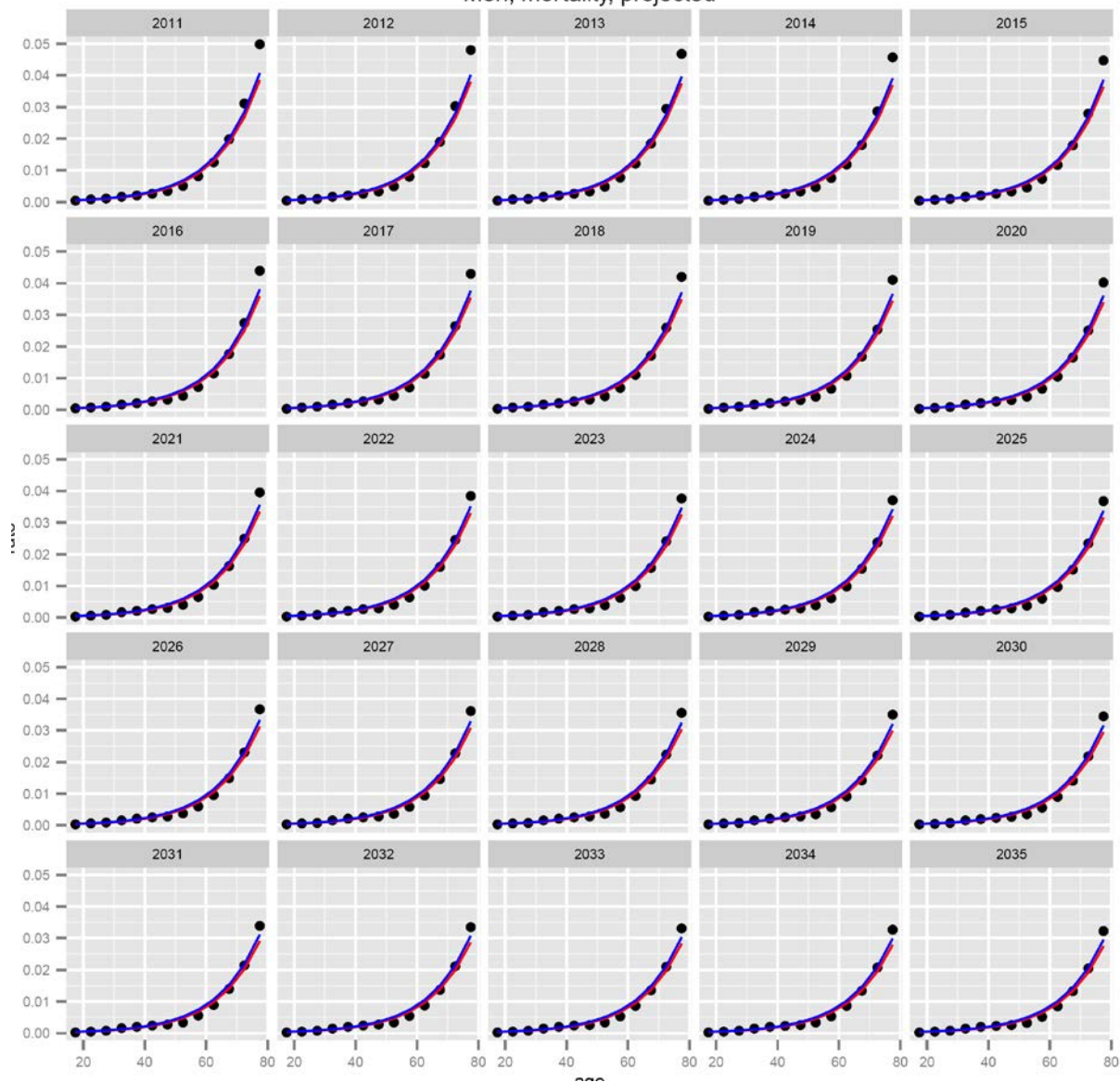
```

Figure 5: Fitted predictions for mortality and hospitalisation

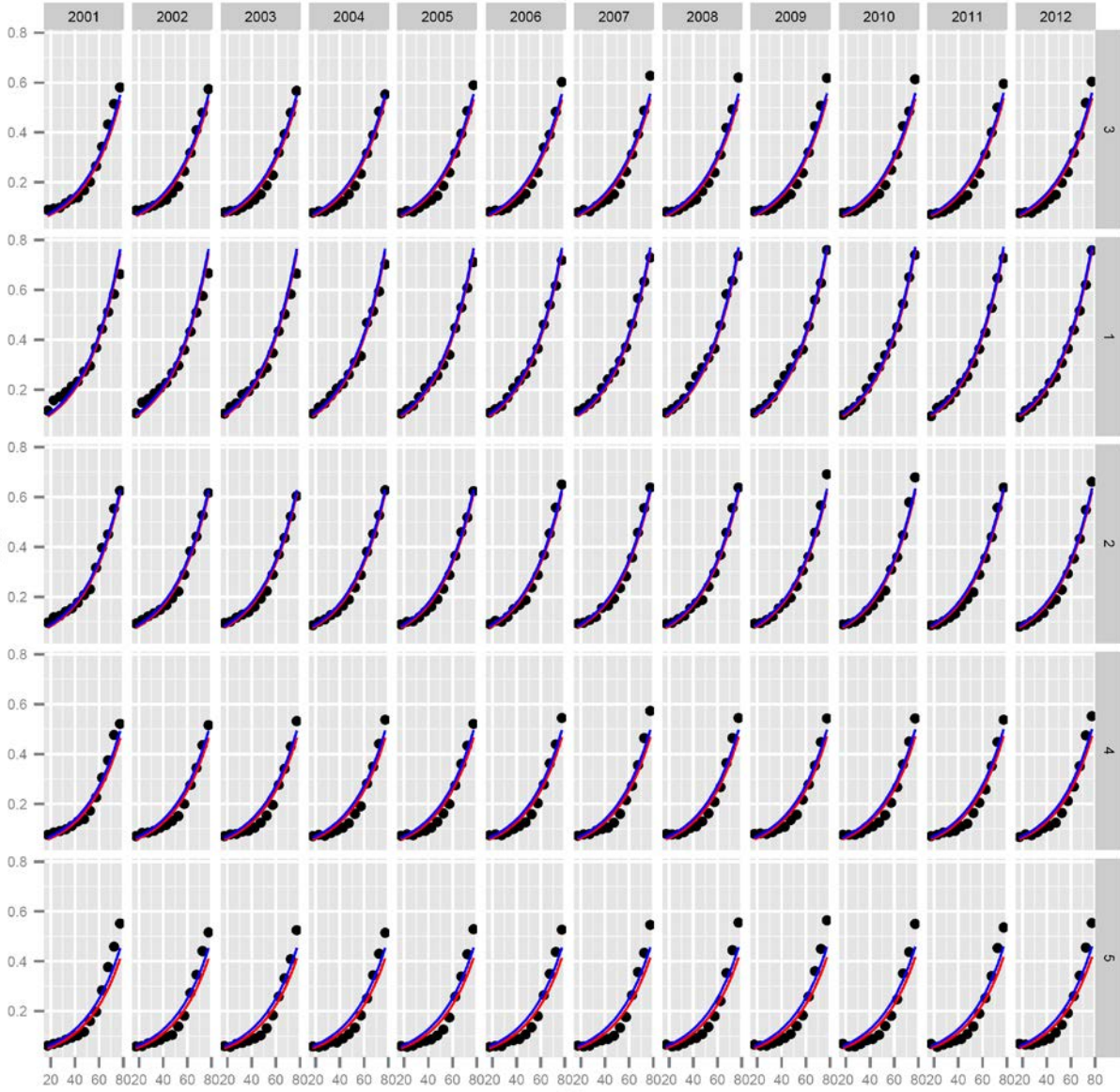
Dots represent rate data (from GROS and ISD), lines represent fitted values, the blue line is for the Weibull model and red line is for the exponential model. For brevity, only male data are shown.



Men, mortality, projected



Men, hospitalisation



Appendix 2 Modelling change in rate ratios

The following R code shows how a non-linear model was used to produce a function which was used to represent the change in rate ratio over time.

```
### R code to create formulas describing rate ratios for death and hospitalisation. These
formulas are used in the R code
# "Calculates_CI_YLL_and_hospitalisation_in_R.R" and in the VBA toolkit

# This code uses Nonlinear Least Squares to produce a function describing the change in rate
ratio
# This approach constrains the rate ratio to lie between 0 and 1
# If the rate ratio is zero, you need to take it's inverse to calculate the formula, and then
# invert the function when running it in the "Calculates_CI_YLL_and_hospitalisation_in_R.R"
code (invert.rr <- 1)
# and/or in the VBA toolkit (invert_rr = 1).

# The particular form of the non-linear model is a sigmoid function with two parameters and a
single predictor, time.
# This function is parameterised below as intuitively as possible, in terms of the gain and
threshold.
# The threshold is the point on the x-axis which corresponds to y = 0.5 (which can of course
lie outside the range of values we are interested in)
# The gain is how steeply the curve moves through that point
# You may need to supply reasonable values as starting points for the gain and threshold if
the plots show that the estimates
# don't fit the values well

# Inputs
# a .csv file with time and rate ratios for hospitalisation and death
# starting values for the gain and threshold, if model won't fit with the defaults

# outputs
# model coefficients (a .csv file)
# plots of the rate ratio and the rate ratio described as a function and two example plots

# read in file
intervention <- read.csv ("employment_rate_ratios.csv")
intervention.name <- "employment"

# Sigmoid function with two parameters
mort <- nls(rr.mort ~ 1 / (1 + exp(-gain * (time - threshold))), data=intervention,
start=list(gain=1, threshold = 0))
intervention$rr.mort.predicted <- predict(mort)
hosp <- nls(rr.hosp ~ 1 / (1 + exp(-gain * (time - threshold))), data=intervention,
start=list(gain=0.2, threshold = -5))
intervention$rr.hosp.predicted <- predict(hosp)

# Plot points to formula
pdf (paste (intervention.name, ".pdf", sep = ""))
par (mfrow = c(2,2))
plot (0:20, intervention$rr.mort, ylim = c(0,1), main = "Mortality rate ratio", xlab = "Time
(years)", ylab = "Rate ratio")
lines (0:20, predict(mort))
plot (0:20, intervention$rr.hosp, ylim = c(0,1), main = "Hospitalisation rate ratio", xlab =
"Time (years)", ylab = "Rate ratio")
lines (0:20, predict(hosp))
# Produce example plots
rr <- function (time, gain, threshold) {1 / (1 + exp(-gain * (time-threshold)))}
plot (0:20, rr(0:20,1, 10), ylim = c(0,1), main = "eg: gain = 1, thresholds = 5, 10 & 15",
xlab = "Time (years)", ylab = "Rate ratio", type = "l")
lines (0:20, rr(0:20,1, 5))
lines (0:20, rr(0:20,1, 15))
plot (0:20, rr(0:20,0.1, 10), ylim = c(0,1), main = "eg: threshold = 10, gain = 0.1, 0.2 and
0.5", xlab = "Time (years)", ylab = "Rate ratio", type = "l")
lines (0:20, rr(0:20,0.2, 10))
lines (0:20, rr(0:20,0.5, 10))
dev.off()

# save coefficients
rr.hosp.coef <- coef (hosp)
rr.mort.coef <- coef (mort)

write.csv (rbind (rr.mort.coef, rr.hosp.coef), file = paste (intervention.name, ".csv", ""))
```

Intervention rate ratios over time for mortality:

Year	Smoking Cessation	ABIs	Counterweight	Tobacco tax	Employment	Active Travel
1	0.9803	0.972	0.964	0.9944	0.674	0.987
2	0.9862	0.977	0.971	0.9961	0.781	0.987
3	0.9862	0.981	0.978	0.9960	0.812	0.987
4	0.9861	0.986	0.985	0.9960	0.825	0.987
5	0.9861	0.991	0.992	0.9960	0.843	0.987
6	0.9860	0.995	1	0.9960	0.860	0.987
7	0.9860	1	1	0.9960	0.877	0.987
8	0.9860	1	1	0.9960	0.894	0.987
9	0.9859	1	1	0.9960	0.910	0.987
10	0.9859	1	1	0.9960	0.924	0.987
11	0.9858	1	1	0.9960	0.930	0.987
12	0.9858	1	1	0.9959	0.937	0.987
13	0.9858	1	1	0.9959	0.943	0.987
14	0.9857	1	1	0.9959	0.948	0.987
15	0.9857	1	1	0.9959	0.954	0.987
16	0.9857	1	1	0.9959	0.956	0.987
17	0.9857	1	1	0.9959	0.959	0.987
18	0.9856	1	1	0.9959	0.961	0.987
19	0.9856	1	1	0.9959	0.964	0.987
20	0.9856	1	1	0.9959	0.966	0.987

Income:

	SIMD1 (most deprived)	SIMD2	SIMD3	SIMD4	SIMD5 (least deprived)
(Living wage)	0.99	0.9902	0.9889	0.9937	0.9977
(10% increase WTC (basic and 30-hour amounts))	1	0.9986	0.9991	0.9998	1.0000
(10% rise Council Tax)	1	1.0016	1.0020	1.0016	1.0011
(10% increase Job Seeker's Allowance/Income Support (JSA/IS))	0.99	0.9991	0.9998	1.0000	1.0000
(1p on Standard Rate of Income Tax (SRIT))	1	1.0013	1.0026	1.0038	1.0052

Intervention rate ratios over time for hospitalisations:

Year	Smoking Cessation	ABIs	Counterweight	Tobacco tax	Employment	Active Travel
1	0.9838	0.983	0.972	0.9954	0.965	N/A
2	0.9886	0.986	0.977	0.9968	0.979	N/A
3	0.9886	0.989	0.983	0.9967	0.974	N/A
4	0.9886	0.992	0.988	0.9967	0.976	N/A
5	0.9886	0.994	0.994	0.9967	0.979	N/A
6	0.9885	0.997	1	0.9967	0.982	N/A
7	0.9885	1	1	0.9967	0.984	N/A
8	0.9885	1	1	0.9967	0.986	N/A
9	0.9884	1	1	0.9967	0.989	N/A
10	0.9884	1	1	0.9967	0.990	N/A
11	0.9884	1	1	0.9967	0.989	N/A
12	0.9884	1	1	0.9967	0.989	N/A
13	0.9884	1	1	0.9967	0.988	N/A
14	0.9883	1	1	0.9967	0.988	N/A
15	0.9883	1	1	0.9967	0.988	N/A
16	0.9883	1	1	0.9967	0.988	N/A
17	0.9883	1	1	0.9967	0.989	N/A
18	0.9883	1	1	0.9966	0.989	N/A
19	0.9883	1	1	0.9966	0.990	N/A
20	0.9882	1	1	0.9966	0.990	N/A

Income:

	SIMD1 (most deprived)	SIMD2	SIMD3	SIMD4	SIMD5 (least deprived)
(Living wage)	0.99	0.9923	0.9914	0.9951	0.9982
(10% increase WTC (basic and 30-hour amounts))	1	0.9989	0.9993	0.9999	1.0000
(10% rise council tax)	1	1.0012	1.0015	1.0012	1.0008
(10% increase JSA/IS)	0.99	0.9993	0.9999	1.0000	1.0000
(1p on SRIT)	1	1.0010	1.0020	1.0029	1.0040

Appendix 3 VBA code

The following VBA code details the calculations for cumulative incidence, years of life lost and hospitalisations prevented over time, using tobacco tax as an example.

```
'# For this documentation we will refer to:-
'# 1. users (users who only feel comfortable changing excel inputs)
'# 2. modifiers (users who feel comfortable editing VBA code)
'# 3. designers (those who designed the toolkit)
'# In Excel, functions written in VBA are described as "user-defined" functions, this is
potentially confusing, so we will call them bespoke functions.
'# In R we largely follow Google's R style guide, where dot.notation is used for objects and
CamelBackNotation is used for functions.
'# In excel we use underscores instead of .s as these are not allowed in VBA, while
capitalisation is under the control of the VBA editor.

'# This R code produces the same results and mimics the approach used in the VBA code
'# All of the R functions are bespoke VBA functions - eg rr, mortality.rate,
mortality.rate.rr, rr.h, hosp.rate, hosp.rate.h, CumulativeIncidence etc
'# Some bespoke VBA functions are written as snippets of code in R which use for (1 in n)
style loops
'# TECHNICAL NOTE - R software designers wrote R with vector manipulations in mind whereas VBA
was not,
'# hence for consistency we use a lot of loops in R, when it would be more conventional to use
R's vector functionality

'# Excel allows users to change values, these are described as "cell-values" here.
'# We will distinguish between back-end cell values (eg number of people in a particular
stratum) and
'# front-end cell values (eg number of people treated)
'# VBA also allows users to enter "constants" in the VBA code. These can be changed only by
opening up and modifying the VBA code, hence
'# these "constants" can only be changed by modifiers and designers.

'# Inputs ----
'# mortality rate parameters - see "Create_Mortality_hospitalisation_formula.R" - as constants
'# rate ratio parameters - see "Create_rate_ratio_formula.R" - as constants
'# Age, sex, SIMD quintile, number exposed etc - as back-end cell-values
'# Number treated, year intervention follow-up starts etc - as front-end cell-values

'# Outputs ----
'# table of cumulative incidence, hospitalisation courts and YLL for policy and baseline
interventions

''''''code starts here
Option Explicit

##### Constants ----
'# 1a. parameters for the mortality function - modifiers (not users) could change these value
Const Intercept As Double = 18.1877130850229
Const age_coef As Double = 8.19275291014469E-02
Const simd1 As Double = 0.576547965287156
Const simd2 As Double = 0.199455277946668
Const simd3 As Double = 0
Const simd4 As Double = -0.228807765165563
Const simd5 As Double = -0.546955533913082
Const gender_female = 0
Const gender_male = 1.07730065619129
Const year_coef = -1.39892516025946E-02
Const age_gender_male = -9.52692229091698E-03
Const age_gender_female = 0
Const exposure_rate_ratio_mortality As Double = 2.27

'# 1b. parameters for the hospitalisation function - modifiers (not users) could change these
values
Const Intercept_h As Double = -6.06349702978915
Const age_coef_h As Double = 0.024645832496484
Const simd1_h As Double = 0.345768298654941
Const simd2_h As Double = 0.144238115229873
Const simd3_h As Double = 0
Const simd4_h As Double = -0.129426862177807
Const simd5_h As Double = -0.253367711139884
Const gender_female_h = 0
```

```

Const gender_male_h = -0.5602886786945
Const year_coef_h = 1.64061213663119E-03
Const age_gender_male_h = 1.02462431276329E-02
Const age_gender_female_h = 0
Const exposure_rate_ratio_hosp As Double = 1.52

'# 2. parameters for the rate ratio function - modifiers (not users) could change these
values
'# If the intervention is harmful, ie above 1, invert.rr has to be changed to 1 (default -1)
'# for mortality
Const gain = 3.61895533940247E-03
Const threshold = -1506.15692812996
Const invert_rr = -1
'# for hospitalisation
Const gain_h = 4.08625529033277E-03
Const threshold_h = -1381.45250884331
Const invert_rr_h = -1
'

'# Function to make cumulative incidence from integrand
Function cumulativeincidenceF(integrand) As Double
cumulativeincidenceF = 1 - Exp(-integrand)
End Function

' Integration function, note that this is built in to R, and takes
' the relevant mortality function (eg mortality_rr) and time as an argument, in VBA we have
"if" statements with each mortality function coded into this function
' as VBA can't take an argument saying "use this function". This bespoke function essentially
replicates the functionality of the R "integrate" function
Function IntegrateF(a As Double, b As Double, age_start As Integer, _
sex As String, simdquintile As Integer, year_start As Integer, _
mortality_function As String, total As Double, exposed As Integer, Optional N As Integer =
10) As Double
'This function calculates the area under the curve y(x) from
'x=a to x=b using Simpson's rule with n intervals
'Note: n must be even
'
'Local variables
Dim h As Double, sum As Double, term As Double
Dim x As Double
Dim i As Integer
Dim Simpson As Double
Dim prevalence_exposed As Double

' calculate prevalence exposed
prevalence_exposed = exposed / total

'Do error checking

If N = 0 Or N Mod 2 = 1 Then
Simpson = 0#
MsgBox "Sorry # of intervals has to be > 0 and even"
Exit Function
End If
h = (b - a) / N
x = a
sum = 0#
For i = 1 To N Step 2
If mortality_function = "mortality_rate" Then term = _
(mortality_rate(x, age_start, sex, simdquintile, year_start) + _
4 * mortality_rate(x + h, age_start, sex, simdquintile, year_start) + _
mortality_rate(x + 2 * h, age_start, sex, simdquintile, year_start)) _
* exposure_rate_ratio_mortality / (prevalence_exposed * exposure_rate_ratio_mortality
+ 1 - prevalence_exposed)
If mortality_function = "mortality_rate_rr" Then term = _
(mortality_rate_rr(x, age_start, sex, simdquintile, year_start) + _
4 * mortality_rate_rr(x + h, age_start, sex, simdquintile, year_start) + _
mortality_rate_rr(x + 2 * h, age_start, sex, simdquintile, year_start)) _
* exposure_rate_ratio_mortality / (prevalence_exposed * exposure_rate_ratio_mortality
+ 1 - prevalence_exposed)
If mortality_function = "mortality_rate_unex" Then term = (1 / exposure_rate_ratio_mortality)
* _
(mortality_rate(x, age_start, sex, simdquintile, year_start) + _
4 * mortality_rate(x + h, age_start, sex, simdquintile, year_start) + _
mortality_rate(x + 2 * h, age_start, sex, simdquintile, year_start)) _
* exposure_rate_ratio_mortality / (prevalence_exposed * exposure_rate_ratio_mortality
+ 1 - prevalence_exposed)

```

```

sum = sum + term
x = x + 2 * h
Next i
Simpson = sum * h / 3
IntegrateF = Simpson
End Function

' # Mortality rate, hospitalisation rate and rate ratio functions
' # these will be integrated with respect to follow-up time note that
' # the coefficients and age at baseline are constants from the point of view of the
integration
Function rr(time As Double)
rr = 1 / (1 + Exp(-gain * (time - threshold)))
rr = rr ^ (-invert_rr)
End Function

Function rr_h(time As Double)
rr_h = 1 / (1 + Exp(-gain_h * (time - threshold_h)))
rr_h = rr_h ^ (-invert_rr_h)
End Function

Function mortality_rate(time As Double, age_start As Integer, sex As String, simdquintile As
Integer, year_start As Integer) As Double
Dim gender As Double
Dim gender_inter As Double
Dim simd As Double

If sex = "female" Then gender = gender_female
If sex = "female" Then gender_inter = age_gender_female
If sex = "male" Then gender = gender_male
If sex = "male" Then gender_inter = age_gender_male
If simdquintile = 1 Then simd = simd1
If simdquintile = 2 Then simd = simd2
If simdquintile = 3 Then simd = simd3
If simdquintile = 4 Then simd = simd4
If simdquintile = 5 Then simd = simd5

mortality_rate = Exp(Intercept + simd + gender + age_coef * (age_start + time) + year_coef *
(year_start + time) + gender_inter * (age_start + time))
End Function

' Hospitalisation rate function, takes same form and has same user arguments as mortality
function, different coefficient values
Function hosp_rate(time As Double, age_start As Integer, sex As String, simdquintile As
Integer, year_start As Integer) As Double
Dim gender As Double
Dim gender_inter As Double
Dim simd As Double

If sex = "female" Then gender = gender_female_h
If sex = "female" Then gender_inter = age_gender_female_h
If sex = "male" Then gender = gender_male_h
If sex = "male" Then gender_inter = age_gender_male_h
If simdquintile = 1 Then simd = simd1_h
If simdquintile = 2 Then simd = simd2_h
If simdquintile = 3 Then simd = simd3_h
If simdquintile = 4 Then simd = simd4_h
If simdquintile = 5 Then simd = simd5_h

hosp_rate = Exp(Intercept_h + simd + gender + age_coef_h * (age_start + time) + year_coef_h *
(year_start + time) + gender_inter * (age_start + time))
End Function

Function mortality_rate_rr(time As Double, age_start As Integer, sex As String, simdquintile
As Integer, year_start As Integer) As Double
mortality_rate_rr = mortality_rate(time, age_start, sex, simdquintile, year_start) * rr(time)
End Function

Function hosp_rate_rr(time As Double, age_start As Integer, sex As String, simdquintile As
Integer, year_start As Integer) As Double
hosp_rate_rr = hosp_rate(time, age_start, sex, simdquintile, year_start) * rr_h(time)
End Function

```

```

'## This function calculates the cumulative incidence for each group
Function new_ci(time As Double, age_start As Integer, sex As String, simdquintile As Integer,
year_start As Integer, _
    treated_each_year As Integer, n_years_treatment As Integer, total As Double,
exposed As Integer, Optional CI_output As String = "Total CI") As Variant
Dim integrand_unexposed
Dim integrand_untreated
Dim integrand_tx_base
Dim integrand_treated
Dim cumulative_incidence_unexposed
Dim cumulative_incidence_untreated
Dim cumulative_incidence_tx_base
Dim cumulative_incidence_treated
Dim i As Integer
Dim j As Double
Dim ci As Double
Dim tmparray(1 To 3) As Variant

'## First, the cumulative incidence in people who are not exposed to the risk factor
'## produces a 1 column wide table with the number of new cases, number of rows correspond to
length of follow-up plus 1
'## Input is the mortality rate in the unexposed (mortality rate overall * rate ratio at time
zero)
'## loops through integrating the mortality rate function and transforming (CI = 1-
exp(integrand) ) in order
'## to calculate the proportion of new cases at each point in FU
'## Multiplies this proportion by the number unexposed at baseline to get the cumulative
incidence
integrand_unexposed = IntegrateF(1, time, age_start, sex, simdquintile, year_start,
"mortality_rate_unex", total, exposed)
cumulative_incidence_unexposed = cumulativeincidenceF(integrand_unexposed) * (total -
exposed)

'## Secondly, the cumulative incidence in the untreated. Similar to CI in the unexposed,
'## this calculates the CI at each time point using the mortality rate and the number exposed
but untreated
integrand_untreated = IntegrateF(1, time, age_start, sex, simdquintile, year_start,
"mortality_rate", total, exposed)
cumulative_incidence_untreated = cumulativeincidenceF(integrand_untreated) * (exposed -
treated_each_year * n_years_treatment)

'## Thirdly, the cumulative incidence IF THOSE TREATED UNDER THE SCENARIO HAD NOT BEEN
TREATED, ie THE BASE CASE FOR THE SCENARIO
integrand_tx_base = integrand_untreated
cumulative_incidence_tx_base = cumulativeincidenceF(integrand_tx_base) * treated_each_year *
n_years_treatment

'## Fourthly, and much more complicatedly, the CI in the treated people.
'## As with loops 1, 2 and 3 this code calculates the CI at each time point corresponding to
each year of follow-up
'## However, it does so for n groups, where n is the number of years at which treatments were
applied.
'## The number of columns correspond to the number of groups
'## For example, if there were 3 years of treatment, there are 3 groups, and the output will
be a CI table with 3 columns
'## For each group, this code integrates the function for the mortality rate for the exposed
group until the treatment starts
'## after the treatment starts it then integrates the function for the mortality rate for the
exposed group x the rate ratio for the treatment
'## taking into account how the effect of the treatment attenuates (or increases) over time
'## thus it is produces a matrix rather than a single column

For i = 1 To n_years_treatment
    If i > time Then j = time
    If i <= time Then j = i
        integrand_untreated = IntegrateF(1, j, age_start, sex, simdquintile, year_start,
"mortality_rate", total, exposed)
        integrand_treated = IntegrateF(j, time, age_start, sex, simdquintile, year_start,
"mortality_rate_rr", total, exposed)
        ci = cumulativeincidenceF(integrand_untreated + integrand_treated) * treated_each_year
        cumulative_incidence_treated = cumulative_incidence_treated + ci
    Next i

```

```

' The R code produces a matrix of cumulative incidences by group, then this is later
summarised
' Within the VBA code the summary is all done within this new_CI bespoke function
' Users can choose what output they want, the total cumulative incidence, the treated group
CI, the untreated group, the unexposed group
' and an array with all three groups combined - this latter is used for calculating the
number of hospitalisations
If CI_output = "Total CI" Then new_ci = cumulative_incidence_unexposed +
cumulative_incidence_untreated + cumulative_incidence_treated
If CI_output = "unexposed" Then new_ci = cumulative_incidence_unexposed
If CI_output = "untreated" Then new_ci = cumulative_incidence_untreated
If CI_output = "treated" Then new_ci = cumulative_incidence_treated
tmparray(1) = cumulative_incidence_unexposed
tmparray(2) = cumulative_incidence_untreated
tmparray(3) = cumulative_incidence_treated
If CI_output = "Each CI" Then new_ci = tmparray
End Function

'Function to calculate Yll - Loops through the cumulative incidence calculating the years of
life lost as (100 - age at death) x number dying each year.
Function new_yll(ylltime As Double, age_start As Integer, sex As String, simdquintile As
Integer, year_start As Integer, _
    treated_each_year As Integer, n_years_treatment As Integer, total As Double,
exposed As Integer) As Double
Dim i As Double
Dim ci As Double
Dim ci_last As Double
Dim yll As Double

ylltime = ylltime - 1
ci_last = 0
For i = 1 To ylltime
ci = new_ci(i + 1, age_start, sex, simdquintile, year_start, treated_each_year,
n_years_treatment, total, exposed)
yll = (ci - ci_last) * (100 - age_start - i)
new_yll = new_yll + yll
ci_last = ci
Next i
End Function

' Function to calculate hospitalisations - As for years of life lost this loops through the
cumulative incidence function.
' This does so by calculating the person time each year of follow-up and multiplying this by
the appropriate hospitalisation rate (unexposed, exposed or treated)
Function hosp_count(hosptime As Double, age_start As Integer, sex As String, simdquintile As
Integer, year_start As Integer, _
    treated_each_year As Integer, n_years_treatment As Integer, total As Double,
exposed As Integer) As Double
Dim i As Double
Dim ci_each() As Variant
Dim ci_untreated As Double
Dim ci_untreated_last As Double
Dim hosp_untreated As Double

Dim ci_treated As Double
Dim ci_treated_last As Double
Dim hosp_treated As Double

Dim ci_unexposed As Double
Dim ci_unexposed_last As Double
Dim hosp_unexposed As Double

Dim unexposed_N As Double
Dim treated_N As Double
Dim untreated_N As Double

Dim prevalence_exposed_hosp As Double

' define prevalence exposed (change variable name so no class with IntegrateF
prevalence_exposed_hosp = exposed / total

hosptime = hosptime - 1
ci_unexposed_last = 0
ci_untreated_last = 0
ci_treated_last = 0

```



```

unexposed_N = total - exposed
treated_N = treated_each_year * n_years_treatment
untreated_N = total - unexposed_N - treated_N

For i = 1 To hosptime
ci_each = new_ci(i, age_start, sex, simdquintile, year_start, treated_each_year,
n_years_treatment, total, exposed, "Each CI")
ci_unexposed = ci_each(1)
ci_untreated = ci_each(2)
ci_treated = ci_each(3)
hosp_untreated = (untreated_N - ci_untreated) * hosp_rate(i, age_start, sex, simdquintile,
year_start) _
    * exposure_rate_ratio_hosp / (prevalence_exposed_hosp * exposure_rate_ratio_hosp + 1 -
prevalence_exposed_hosp)

hosp_treated = (treated_N - ci_treated) * hosp_rate_rr(i, age_start, sex, simdquintile,
year_start) _
    * exposure_rate_ratio_hosp / (prevalence_exposed_hosp * exposure_rate_ratio_hosp + 1 -
prevalence_exposed_hosp)

hosp_unexposed = (unexposed_N - ci_unexposed) * (1 / exposure_rate_ratio_hosp) * hosp_rate(i,
age_start, sex, simdquintile, year_start) _
    * exposure_rate_ratio_hosp / (prevalence_exposed_hosp * exposure_rate_ratio_hosp + 1 -
prevalence_exposed_hosp)

hosp_count = hosp_count + hosp_unexposed + hosp_untreated + hosp_treated
ci_unexposed_last = ci_unexposed
ci_untreated_last = ci_untreated
ci_treated_last = ci_treated
Next i
End Function

```